H Laplace transform of η

regional temperature in heat flow problem η

characteristic temperatures 6

 $\theta_{\rm E}, \theta_{\rm R}, \theta_{\rm D}$ characteristic temperatures of Einstein, resistivity, and Debye, respectively

- material diffusivity н
- dislocation density, thermal conductivity (Appendix D) Λ
- thermal conductivity λ

shear modulus or Lame constant, parameter in heat flow μ calculation (Appendix D)

- Poisson's ratio ν
- electrical resistivity ρ
- resistivity difference or deviation between shock and $\Delta \rho_{\rm D}$ hydrostatic results
 - impurity resistivity ρi
 - perfect lattice resistivity PT.
 - $\rho(V_{0},T_{0})$ ρο
 - thermal resistivity ρπ
 - resistivity per vacancy ρ
- $\rho(HF)$ resistivity change due to heat flow

stress, conductivity (Sec. IV.G) σ

- longitudinal stress (in shock direction) σ_x
- lateral stress σy

maximum shear stress, relaxation time (Sec. IV.G) т

regional temperature φ

Laplace transform of φ Φ

point defect concentration x_{pd}

×v vacancy concentration

regional temperature Ψ Laplace transform of ¥ Ŧ 50 ohm angular frequency (1) suistivity difference or deviation between shock and resistivity chonge due to heat flow

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